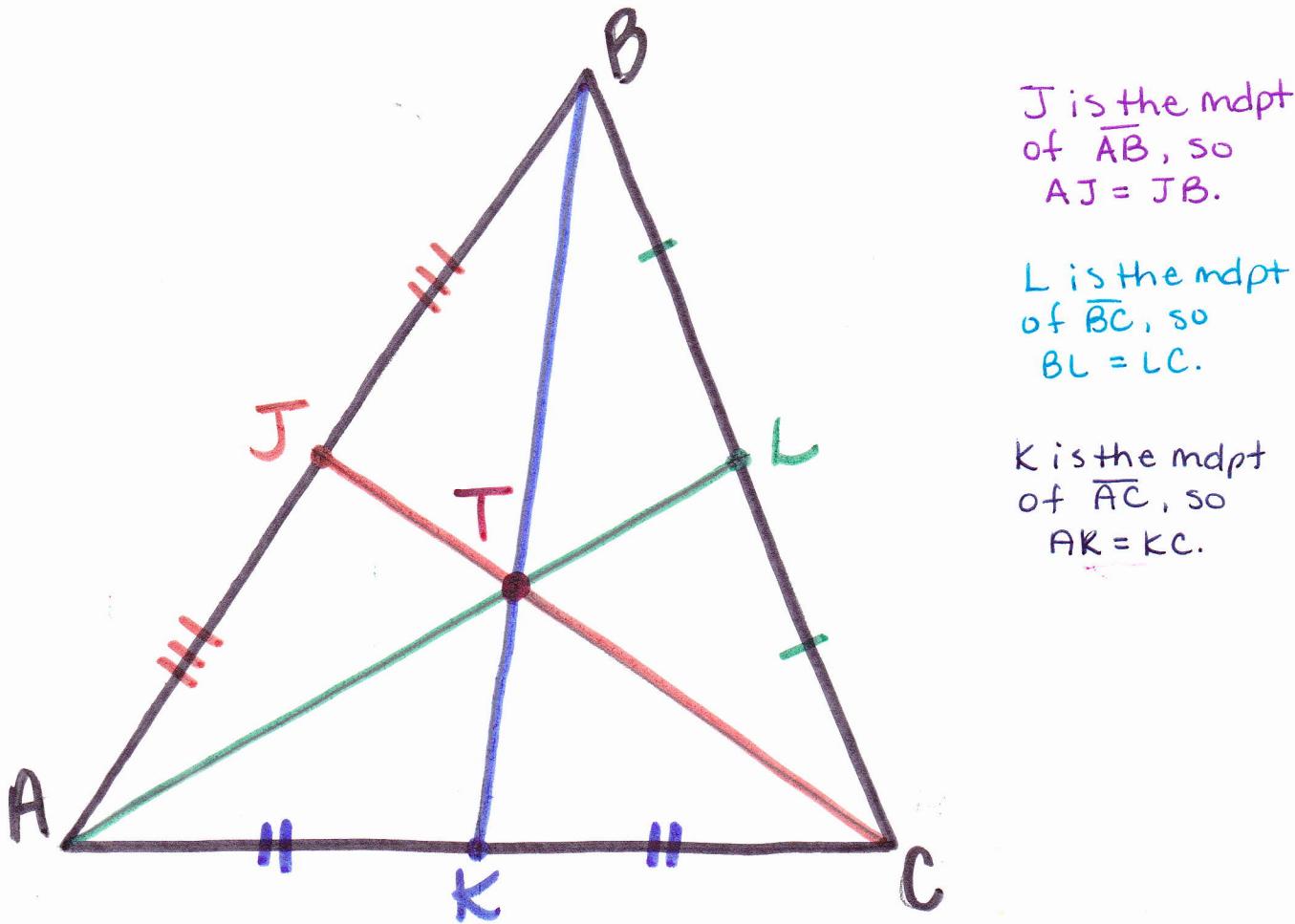


## Notes 6.3 - Centroid & Orthocenter (Points of Concurrency)

Objective: I can recognize points of concurrency in a  $\triangle$ .

Median - a segment whose endpoints are a vertex of a  $\triangle$  and the midpoint of the opposite side

Website for help: [www.youtube.com/watch?v=HRntXbgXKIC](http://www.youtube.com/watch?v=HRntXbgXKIC)



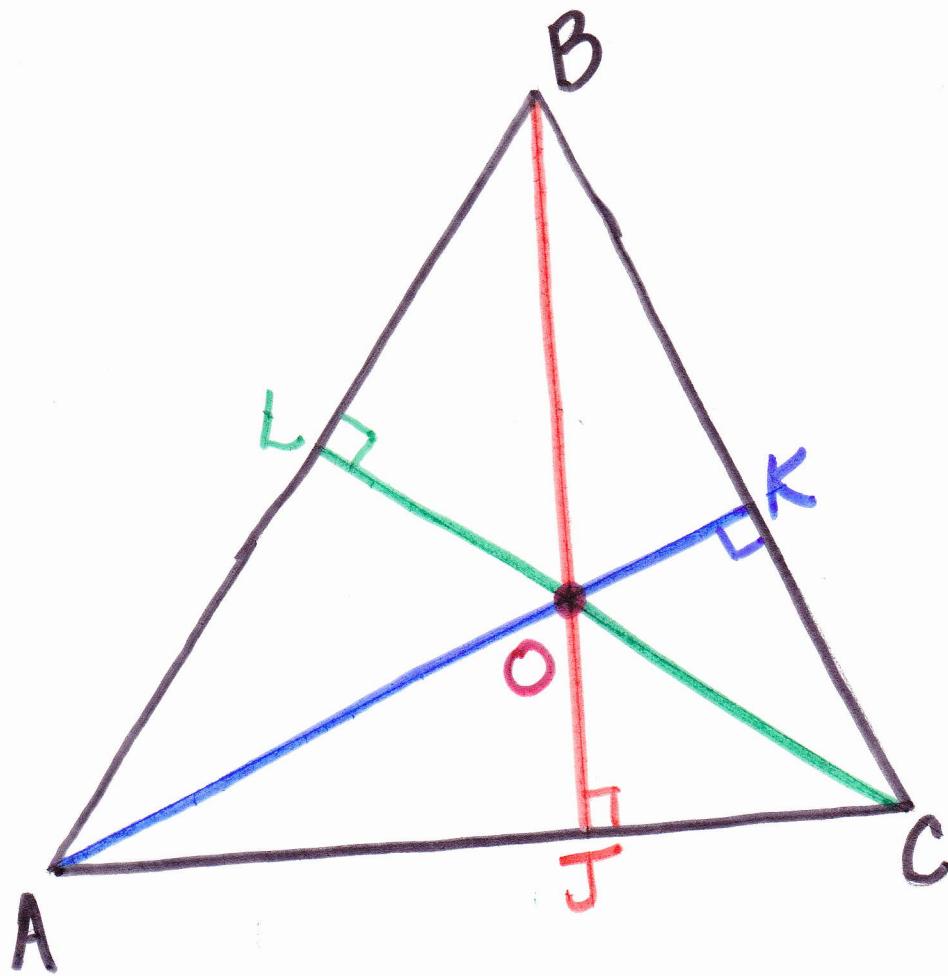
$\overline{CJ}$ ,  $\overline{BK}$ , and  $\overline{AL}$  are the medians of  $\triangle ABC$ .

Centroid - the point of intersection of the three medians of a  $\triangle$

T is the centroid of  $\triangle ABC$ .

Altitude - a  $\perp$  segment from a vertex of a  $\triangle$  to the line containing the opposite side

Website for help: [www.youtube.com/watch?v=n3VOLGLUx9tc](http://www.youtube.com/watch?v=n3VOLGLUx9tc)



$\overline{BJ} \perp \overline{AC}$ , so  $\angle BJC$  &  $\angle BJA$  are rt  $\angle$ s.

$\overline{AK} \perp \overline{BC}$ , so  $\angle AKB$  &  $\angle AKC$  are rt  $\angle$ s.

$\overline{CL} \perp \overline{AB}$ , so  $\angle CLB$  &  $\angle CLA$  are rt  $\angle$ s.

$\overline{AK}$ ,  $\overline{BJ}$ , and  $\overline{CL}$  are the altitudes of  $\triangle ABC$ .

\* The altitude is also known as the height of the  $\triangle$ .

Orthocenter - the point of intersection of the altitudes of a  $\triangle$   
O is the orthocenter of  $\triangle ABC$ .

There are 2 more points of concurrency in a  $\triangle$ .

- Incenter - the point of intersection of the  $\angle$  bisectors in a  $\triangle$
- Circumcenter - the point of intersection of the  $\perp$  bisectors in a  $\triangle$