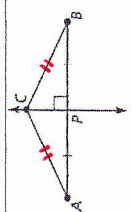
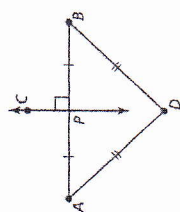


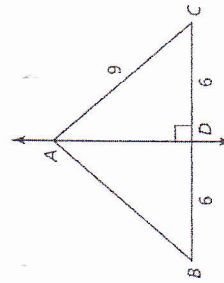
NOTES: 6.1 – Perpendicular and Angle Bisectors

Objective:

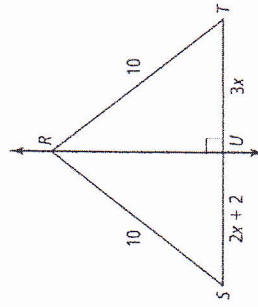
Equidistant: *the same distance from*

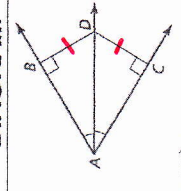
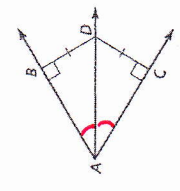
THEOREM	DIAGRAM
<p>PERPENDICULAR BISECTOR THEOREM</p> <p>In a plane, if a point lies on the perpendicular bisector of a segment, then it is equidistant from the endpoints of the segment.</p>	 <p>If \overleftrightarrow{CP} is the \perp bisector of \overline{AB}, then $\underline{CA \cong CB}$.</p>
<p>CONVERSE OF THE PERPENDICULAR BISECTOR THEOREM</p> <p>In a plane, if a point is equidistant from the endpoints of a segment, then it lies on the perpendicular bisector of the segment.</p>	 <p>If $DA = DB$, then point D lies on the \perp bisector of \overline{AB}.</p>

Example 1:
Find AB and explain your reasoning.

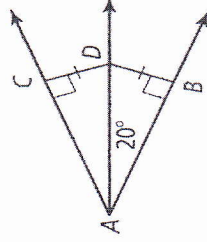


Example 2:
Find SU and explain your reasoning.

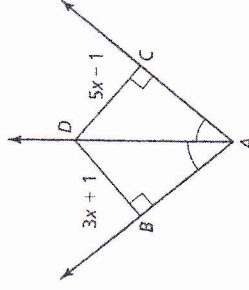


THEOREM	DIAGRAM
<p>ANGLE BISECTOR THEOREM</p> <p>If a point lies on the bisector of an angle, then it is equidistant from the two sides of the angle.</p>	 <p>If \overrightarrow{AD} bisects $\angle BAC$ and $\overline{DB} \perp \overline{AB}$ and $\overline{DC} \perp \overline{AC}$, then $\underline{BD \cong DC}$.</p>
<p>CONVERSE OF THE ANGLE BISECTOR THEOREM</p> <p>If a point is in the interior of an angle and is equidistant from the two sides of the angle, then it lies on the bisector of the angle.</p>	 <p>If $\overline{DB} \perp \overline{AB}$ and $\overline{DC} \perp \overline{AC}$ and $DB = DC$, then \overrightarrow{AD} bisects $\angle BAC$.</p>

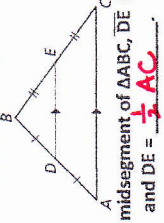
Example 3:
Find $m\angle CAB$ and explain your reasoning.



Example 4:
Find BD and explain your reasoning.



NOTES 6.4 -- TRIANGLE MIDSEGMENT THEOREM

THEOREM	DIAGRAM
<p>TRIANGLE MIDSEGMENT THEOREM</p> <p>The segment connecting the midpoints of two sides of a triangle is parallel to the third side and is half as long as that side.</p>	 <p>\overline{DE} is a midsegment of $\triangle ABC$, $\overline{DE} \parallel \overline{AC}$, and $DE = \frac{1}{2} AC$.</p>

EXAMPLES:

In Examples 1-6, use $\triangle QRS$ where A , B , and C are the midpoints of the sides.

- When $AB = 16$, what is QS ?
- When $SR = 68$, what is CA ?
- When $SR = 46$, what is BR ?
- When $CA = 3x - 1$ and $SR = 5x + 4$, what is CA ?
- When $QS = 6x$ and $CS = 5x - 8$, what is AB ?
- When $m\angle BCA = 48^\circ$, what is the $m\angle CAQ$?

